

**N** := 4      Number of steps

**R** := 7in      Stair rise before cutting

$\tau_0$  := -1.5in      First stair is off by this amount

$$R' := \frac{N \cdot 7\text{in} - \tau_0}{N} = 7.375 \cdot \text{in}$$

**i** := 0.. 4      Four stairs

$$\tau_i := \tau_0 \cdot \left( \frac{N - i}{N} \right) \quad \text{Shim height formula}$$

$$\tau = \begin{pmatrix} -1.5 \\ -1.125 \\ -0.75 \\ -0.375 \\ 0 \end{pmatrix} \cdot \text{in} \quad \text{Shim heights at each level}$$

**N** := 4      Number of steps

**R** := 7in      Stair rise before cutting

**τ**<sub>0</sub> := 2in      First stair is off by this amount

**R'** :=  $\frac{\text{N} \cdot 7\text{in} - \tau_0}{\text{N}}$  = 6.5 · in

**i** := 0.. 4      Four stairs

**τ**<sub>**i**</sub> := **τ**<sub>0</sub> ·  $\left(\frac{\text{N} - \text{i}}{\text{N}}\right)$       Shim height formula

**τ** =  $\begin{pmatrix} 2 \\ 1.5 \\ 1 \\ 0.5 \\ 0 \end{pmatrix}$  · in      Shim heights at each level

$N := 4$       Number of steps

$R := 6.5\text{in}$       Stair rise before cutting

$\tau_N := 1.5\text{in}$  First stair is off by this amount

$$R' := \frac{N \cdot R + \tau_0}{N} = 7 \cdot \text{in}$$

$i := 0..4$       Four stairs

$$\tau_i := \tau_N \cdot \left( \frac{i}{N} \right) \qquad \text{Shim height formula}$$

$$\tau = \begin{pmatrix} 0 \\ 0.375 \\ 0.75 \\ 1.125 \\ 1.5 \end{pmatrix} \cdot \text{in} \qquad \text{Shim heights at each level}$$

$$\tau_L(N,R,\delta_L) := \left| \begin{array}{l} \text{"Determine the shim size for a changed bottom floor"} \\ \text{for } i \in 0..N \\ \tau_i \leftarrow \delta_L \cdot \left( \frac{N-i}{N} \right) \\ \left( \frac{R \cdot N - \delta_L}{N} \right) \quad \tau_I := \tau_L(4,7 \cdot \text{in}, 2 \cdot \text{in}) = \left[ \begin{array}{c} 6.5 \\ 2 \\ 1.5 \\ 1 \\ 0.5 \\ 0 \end{array} \right] \cdot \text{in} \end{array} \right.$$

$\tau_{\mathbf{U}}(\mathbf{N}, \mathbf{R}, \delta_{\mathbf{U}}) :=$

"
Determine the shim size for a changed bottom floor"

for
i
∈
0
..
N

$\tau_i \leftarrow \delta_{\mathbf{U}} \cdot \left( \frac{i}{\mathbf{N}} \right)$

$\left( \frac{\mathbf{R} \cdot \mathbf{N} + \delta_{\mathbf{U}}}{\mathbf{N}} \right)$

$\tau$

 $\tau_{\mathbf{U}}(4, 7\text{in}, 2\text{in}) =$ 

7.5

0

0.5

1

1.5

2

 $\cdot \text{in}$

$\tau_{\text{T}}(\mathbf{N}, \delta_{\text{L}}, \delta_{\text{U}}, \mathbf{R}) :=$

"Changes to Top and Bottom Floor"

$$\mathbf{R}' \leftarrow \frac{\mathbf{R} \cdot \mathbf{N} - \delta_{\text{L}}}{\mathbf{N}}$$

$$\tau' \leftarrow \tau_{\text{L}}(\mathbf{N}, \mathbf{R}, \delta_{\text{L}})_1$$

$$\mathbf{R}'' \leftarrow \frac{\mathbf{R}' \cdot \mathbf{N} + \delta_{\text{U}}}{\mathbf{N}}$$

$$\tau'' \leftarrow \tau_{\text{U}}(\mathbf{N}, \mathbf{R}', \delta_{\text{U}})_1$$

$$\begin{pmatrix} \mathbf{R}'' \\ \tau' + \tau'' \end{pmatrix}$$

$\tau_{\text{T}}(4, -1.5\text{in}, 2\text{in}, 7\text{in}) =$ 

$$\begin{pmatrix} 7.875000 \\ -1.500000 \\ -0.625000 \\ 0.250000 \\ 1.125000 \\ 2.000000 \end{pmatrix} \cdot \text{in}$$